

Neuromimetic model of saccades for localizing deficits in an atypical eye-movement pathology

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Introduction

Eye movements of a **patient with unexplained neurological pathology** have been recorded. This patient exhibited **unusual ocular-motor disorders**:

- ① **left-right asymmetrical increased saccadic peak velocities** (up to ~1000 deg/s),
- ② **dynamic saccadic overshoot**,
- ③ **left-right asymmetrical post-saccadic drift**,
- ④ **saccadic oscillations**.

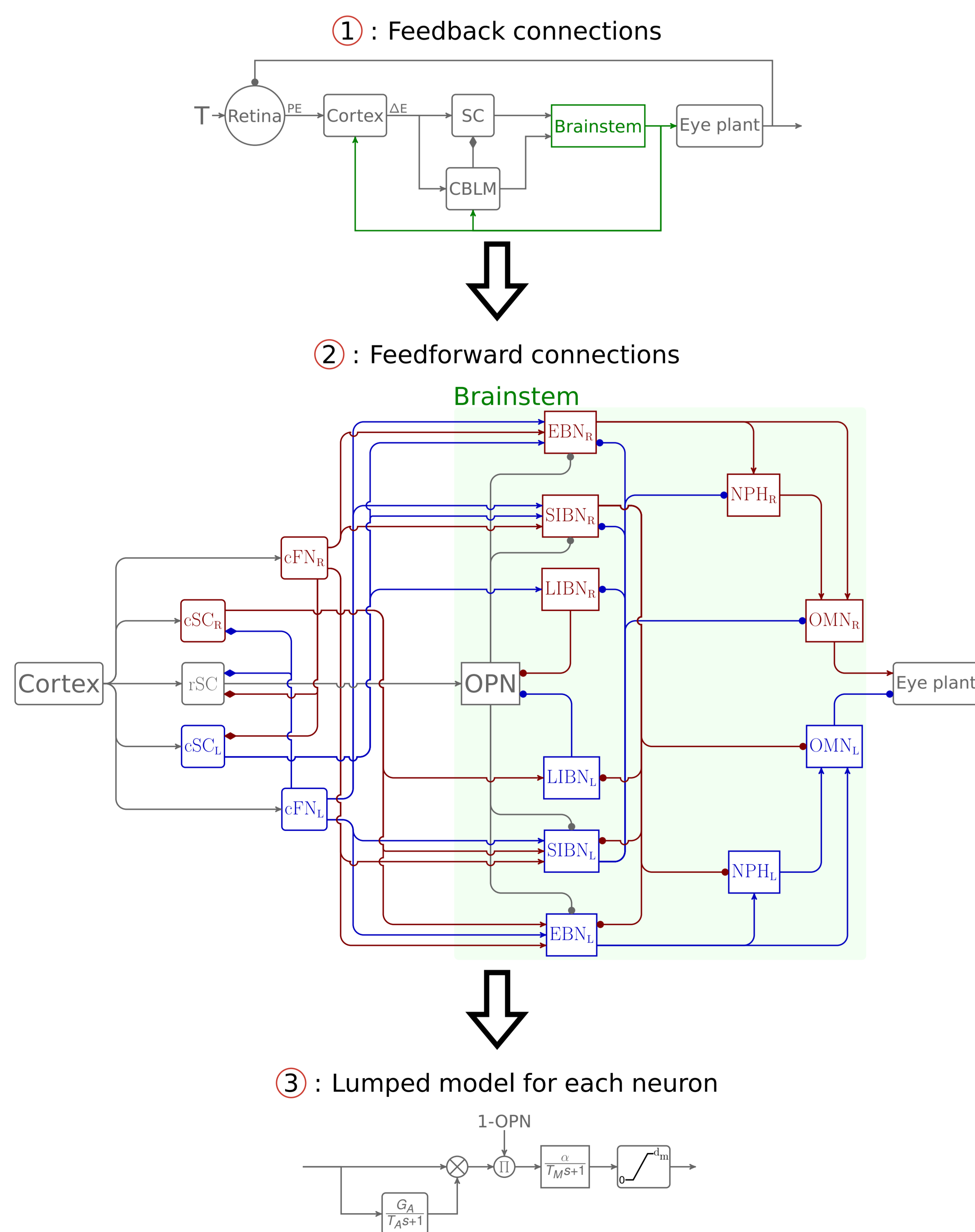
This study analyzes the patient's behavior in terms of a **neuromimetic model** to build a **pathophysiological hypothesis**.

Conclusion

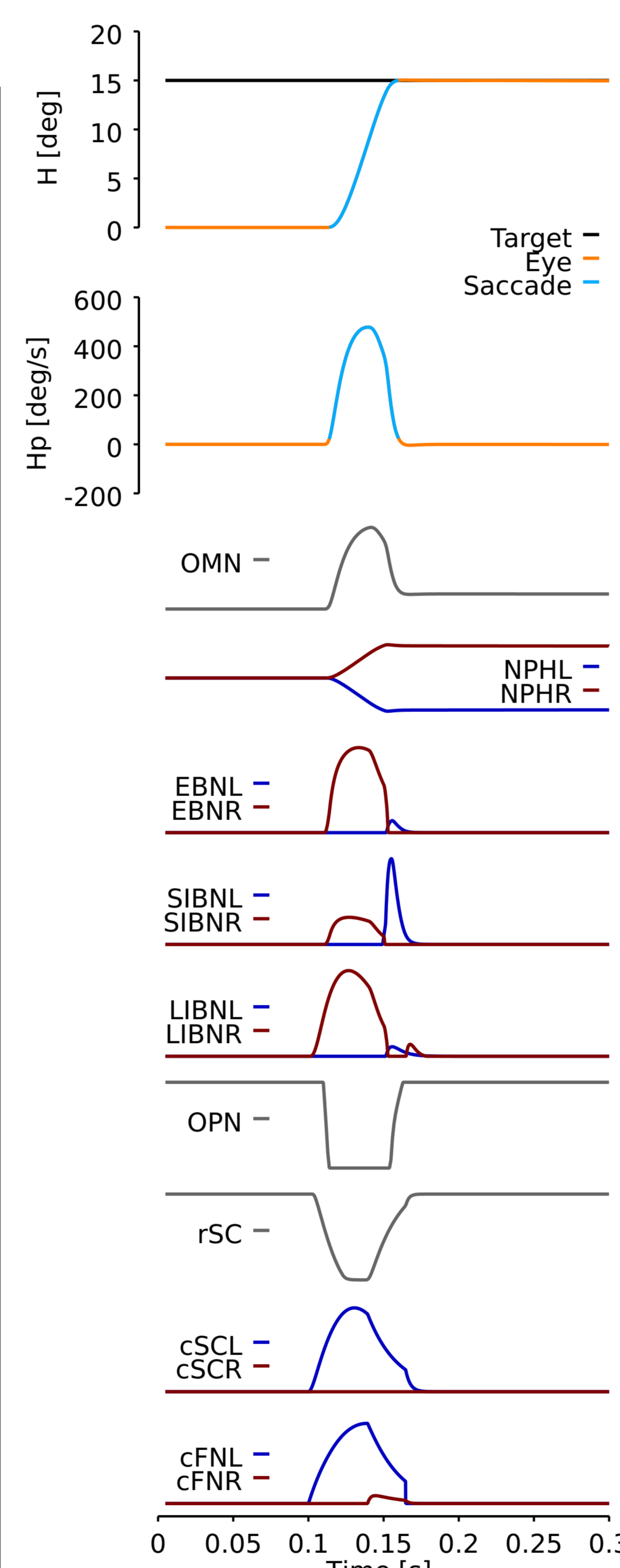
A lumped neuromimetic model of brainstem eye movement circuitry enabled us to propose that all of this **patient's diverse deficits** could be localized to a single structure, the **cerebellum**. Future work should be aimed at extending such models to include other functions in other parts of the brain, while maintaining the simplicity of interpretation given by the lumped circuitry. **Such models would have further specificity and increase their utility in clinical diagnosis.**

Model description

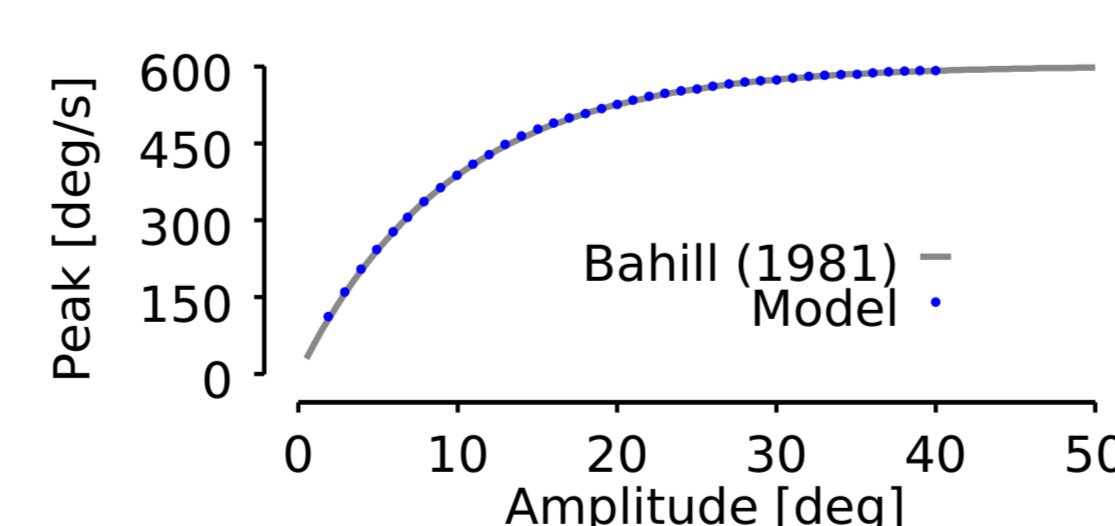
Model structure reflecting anatomical connections



Time course of neural activity

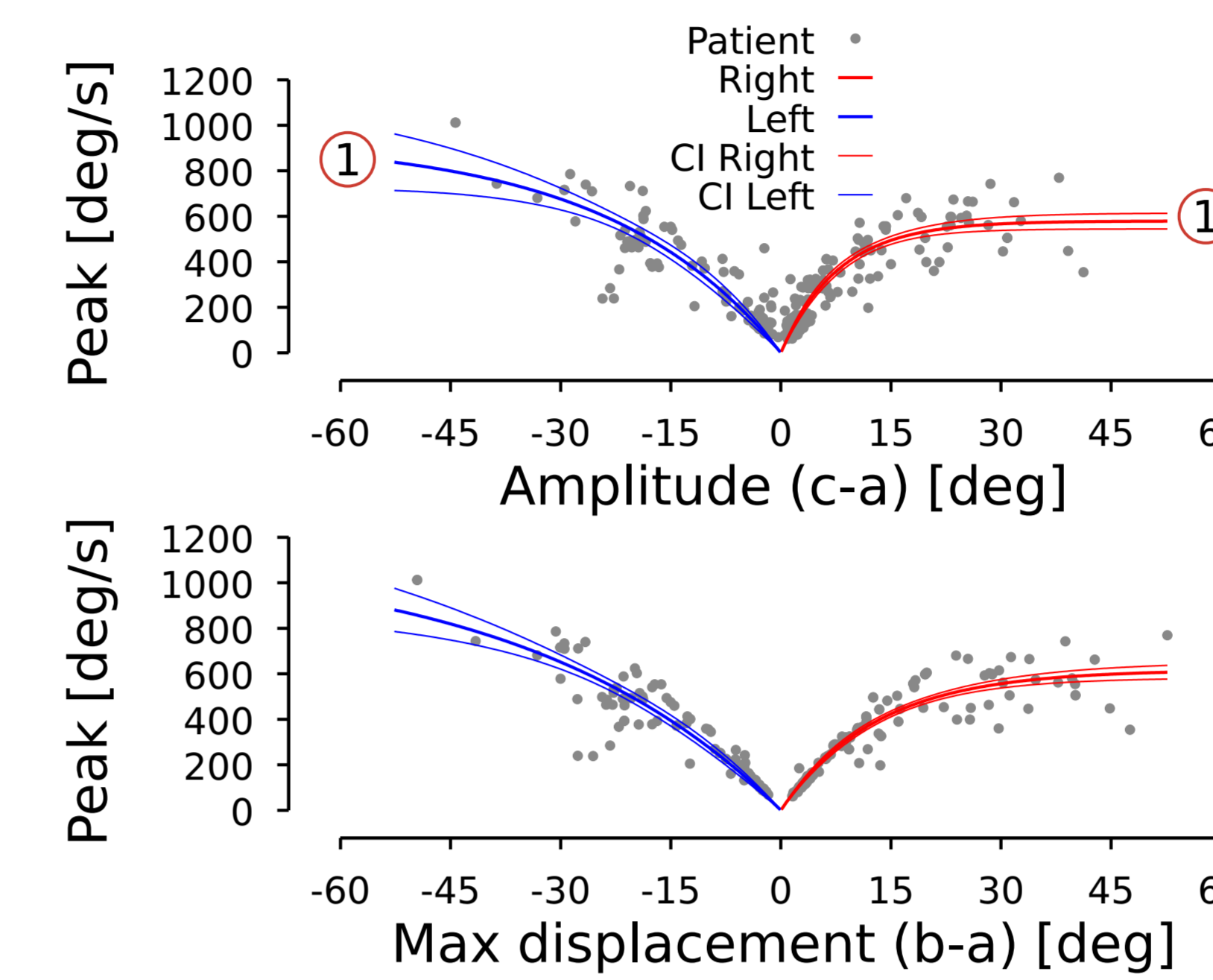


Main sequence



Patient behavior

Average behavior



① **Main sequence fits**

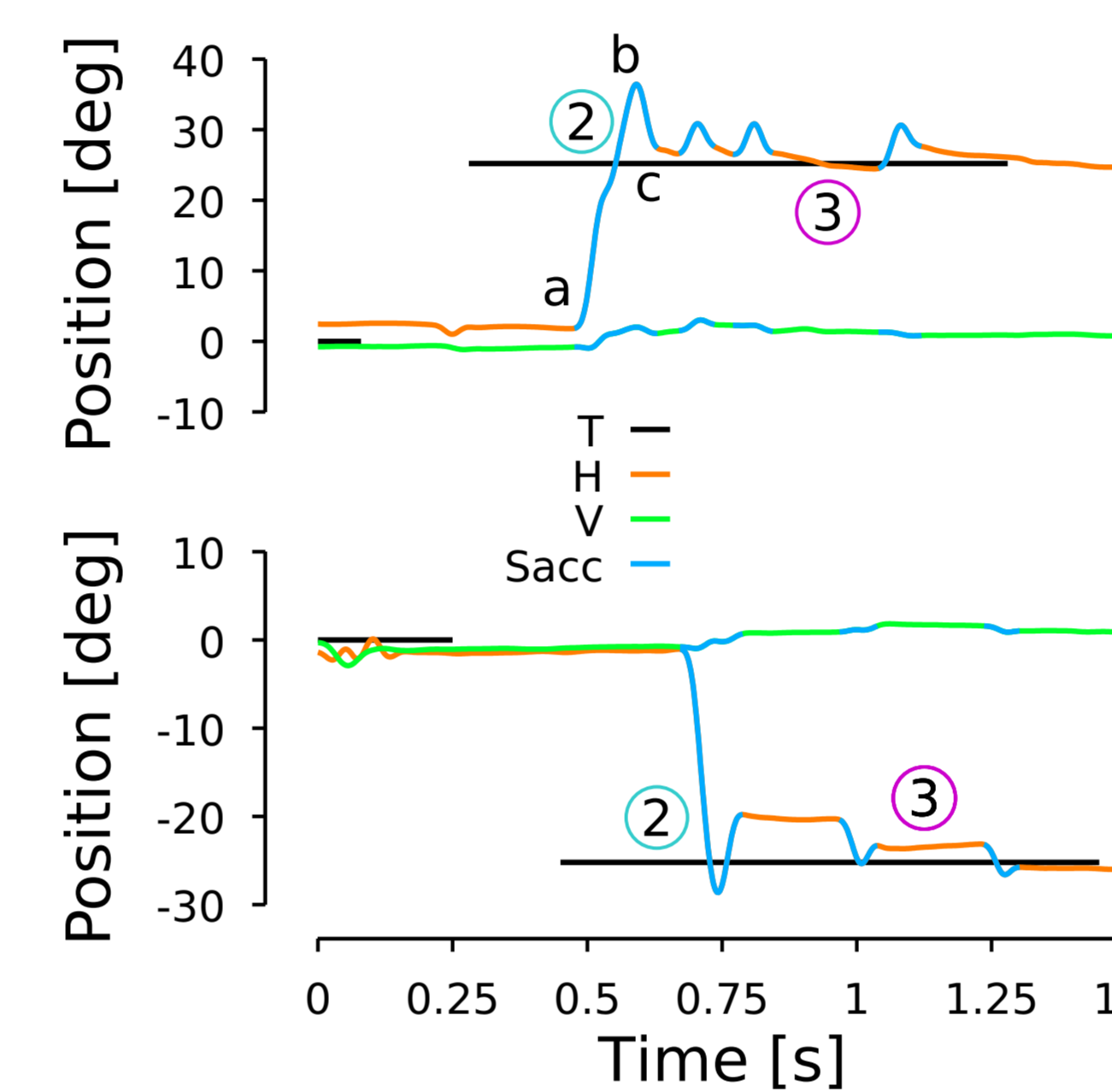
$$V_{R,Max} = (579 \pm 35) (1 - e^{-(0.13 \pm 0.02)A_R}) \quad \text{MSE}=5643$$

$$V_{L,Max} = (938 \pm 237) (1 - e^{-(0.04 \pm 0.02)A_L}) \quad \text{MSE}=11562$$

$$V_{R,Max} = (617 \pm 35) (1 - e^{-(0.08 \pm 0.01)M_R}) \quad \text{MSE}=3517$$

$$V_{L,Max} = (1133 \pm 303) (1 - e^{-(0.03 \pm 0.01)M_L}) \quad \text{MSE}=7400$$

Typical horizontal saccades



② **Amplitude=f(Max displacement)**

$$A_R = (0.790 \pm 0.013)M_R - (0.698 \pm 0.2129) \quad R^2 = 0.96, p < 0.001$$

$$A_L = (0.928 \pm 0.018)M_L - (0.528 \pm 0.086) \quad R^2 = 0.98, p < 0.001$$

③ **Drift: time constant and amplitude**

$$\tau_{D,R} = (90 \pm 75) \text{ [ms]}$$

$$A_{D,R} = (3.4 \pm 1.9) \text{ [deg]}$$

$$\tau_{D,L} = (142 \pm 171) \text{ [ms]}$$

$$A_{D,L} = (-0.5 \pm 0.9) \text{ [deg]}$$

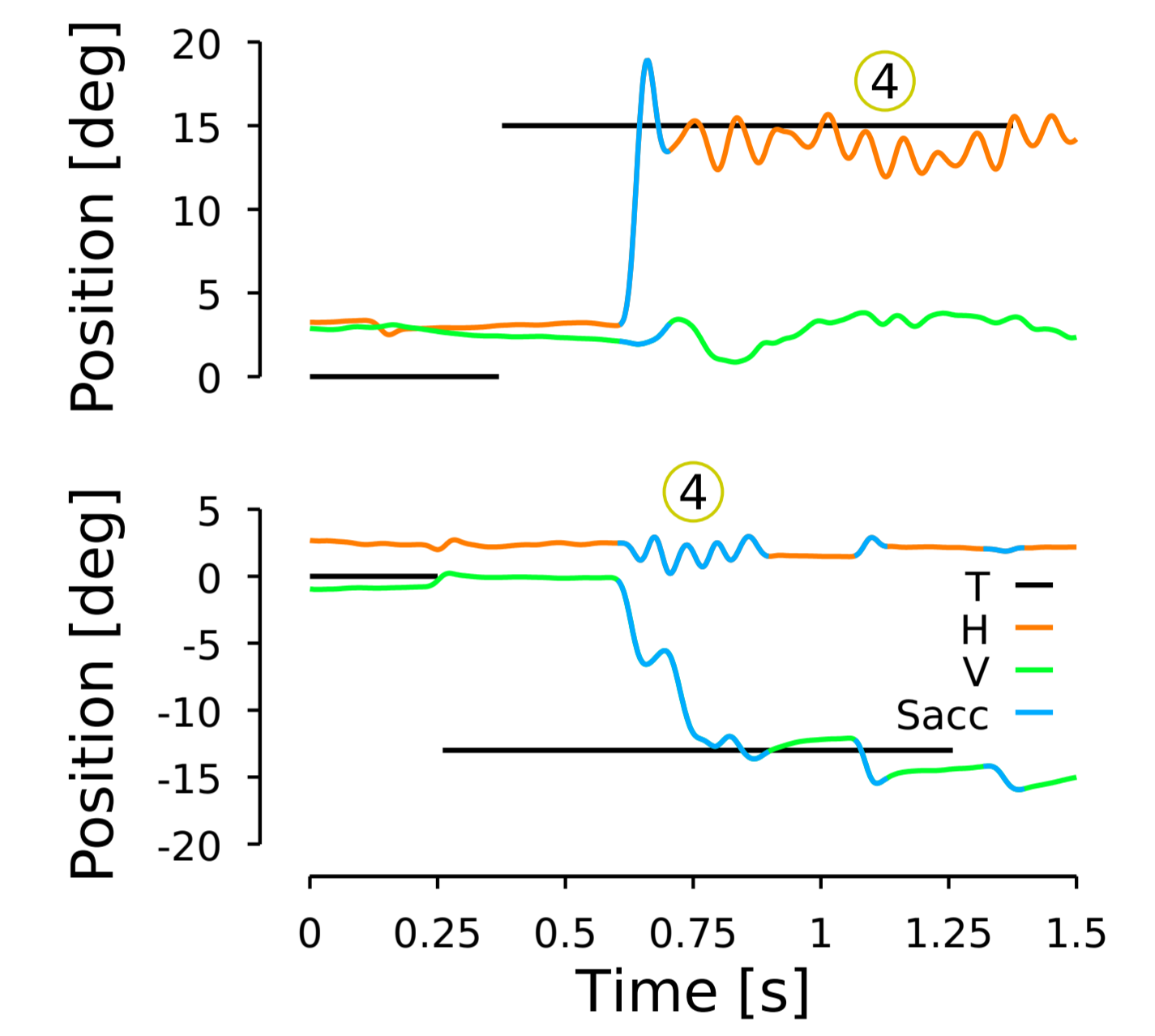
④ **Oscillations frequency**

$$f_{H,H} = (14.5 \pm 3.4) \text{ [Hz]}$$

$$f_{H,V} = (13.1 \pm 3.1) \text{ [Hz]}$$

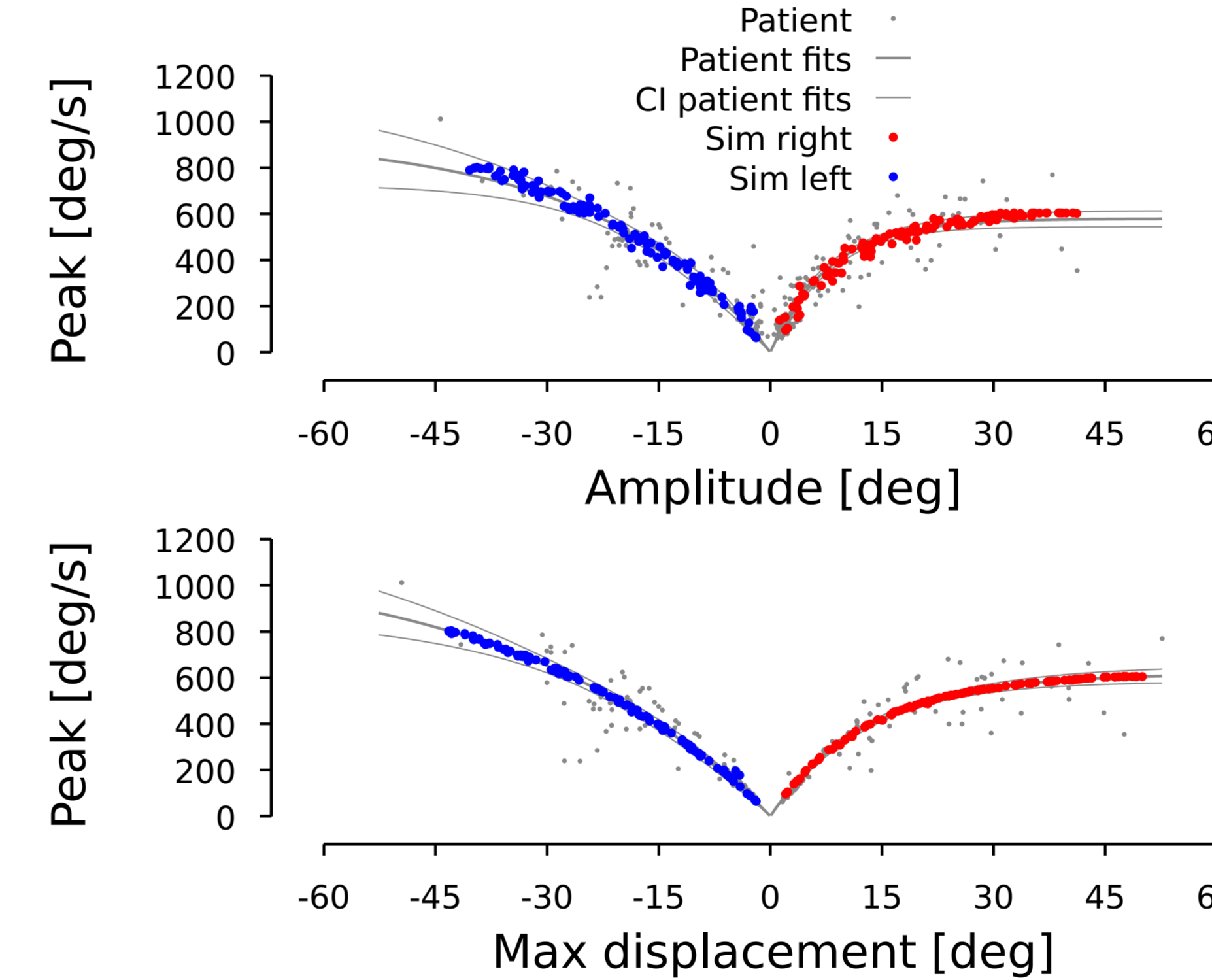
No oscillation vertical channel

Saccadic oscillations



Model simulations

Average behavior



Model modifications

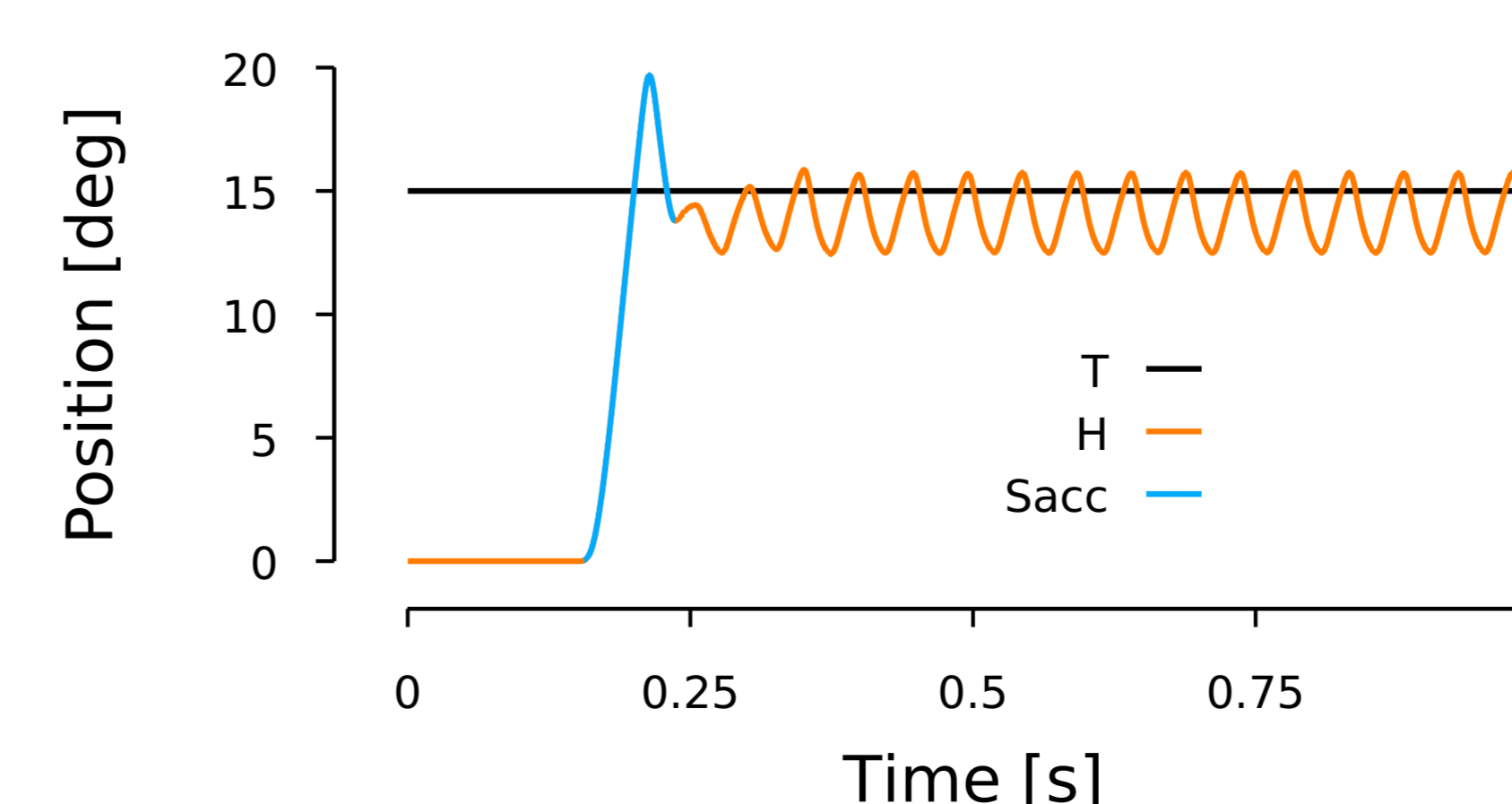
- Increase in peak velocity:** Increase activity contralateral cFN and cSC
- Asymmetrical drift:** Increase the time constant on both sides (20→22.5 [s]) + Increase the step gain right side (0.15→0.185)
- Dynamic overshoot:** Increase activity ipsilateral cFN + Trigger ipsilateral FN sooner
- Noise:** 25% gaussian noise added to ipsilateral cFN

Extreme conditions: The model must reproduce extreme conditions and show its limitations

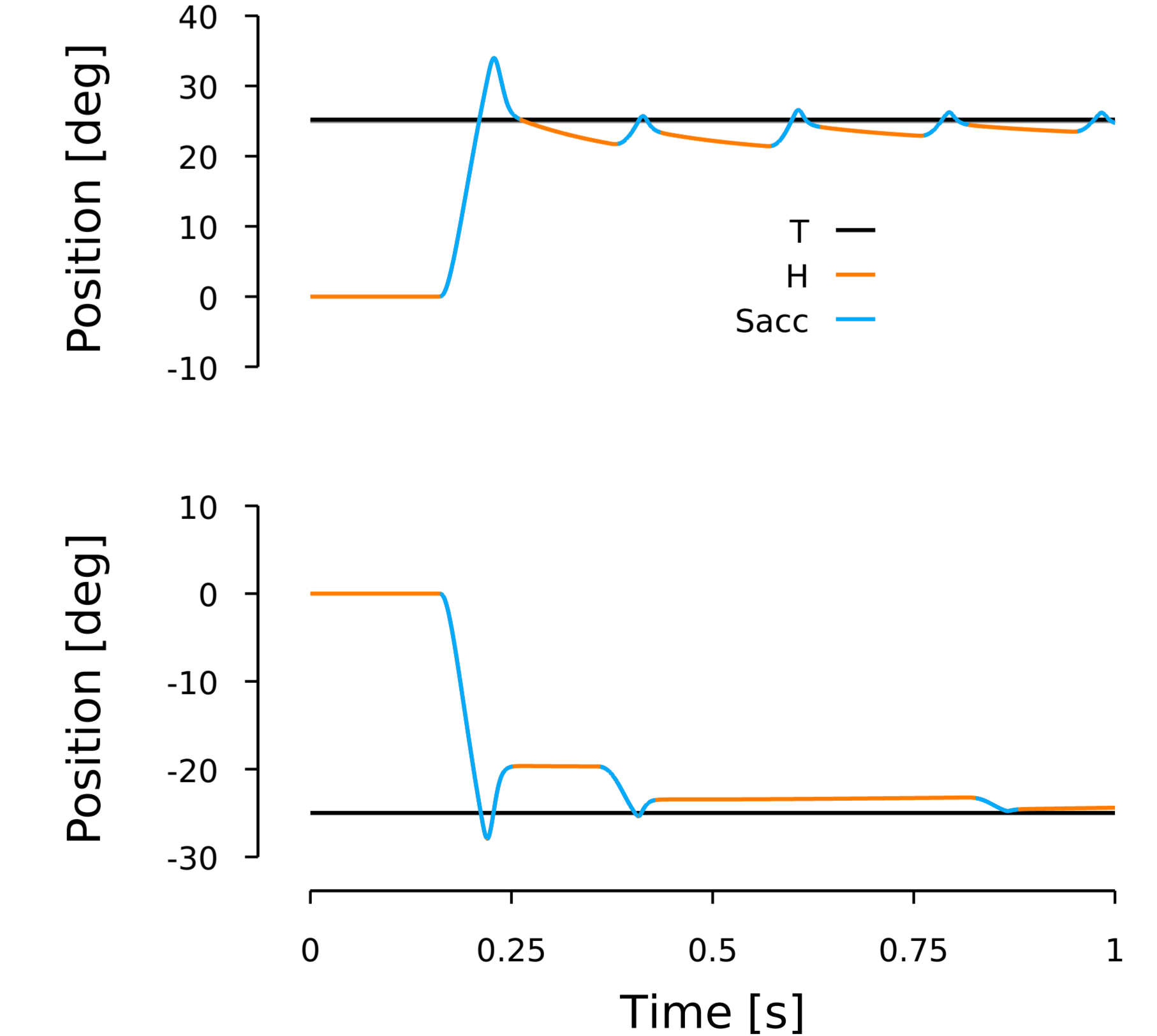
Observations:

- Large overshoot compared to the average behavior
- Marked left-right asymmetrical drift
- "Visual overshoot" (see patient example) → Calibration problem vs neural deficit?

Saccadic oscillations



Extreme conditions



OPN input gain decreased → The loop $SIBN_L - SIBN_R$ can oscillate similarly to Ramat et al. (2005).

long sustained oscillations: Harder to maintain long oscillations. To stop the oscillations, reactivate the OPN input.

Model properties

Neural areas:

- Retina:** Visual error
- Cortex:** Trigger mechanism
- SC:** Superior colliculus
- CBLM:** Cerebellum
- rSC:** Rostral superior colliculus (~fixation zone)
- cSC_{R/L}:** Caudal superior colliculus (burst+build-up)
- cFN_{R/L}:** Caudal fastigial nucleus

- EBN_{R/L}:** Excitatory burst neurons
- SIBN_{R/L}:** Short lead inhibitory burst neurons
- LIBN_{R/L}:** Long lead inhibitory burst neurons
- OPN:** Omnipause neurons
- NPH_{R/L}:** Nucleus prepositus hypoglossi
- OMN_{R/L}:** Oculomotor motor neurons

Neurons population model

Model comprises three stages: ① Neuronal adaptation (gain: G_A , time constant: T_A). ② OPN modulation. ③ Membrane: saturated first order transfer function (gain: α , time constant: T_M , boundaries: $[0 \dots d_m]$).